

# COMPARATIVE ANALYSIS OF FRAMEWORKS FOR THE PERFORMANCE EVALUATION OF MULTI-TIER CLOUD APPLICATIONS

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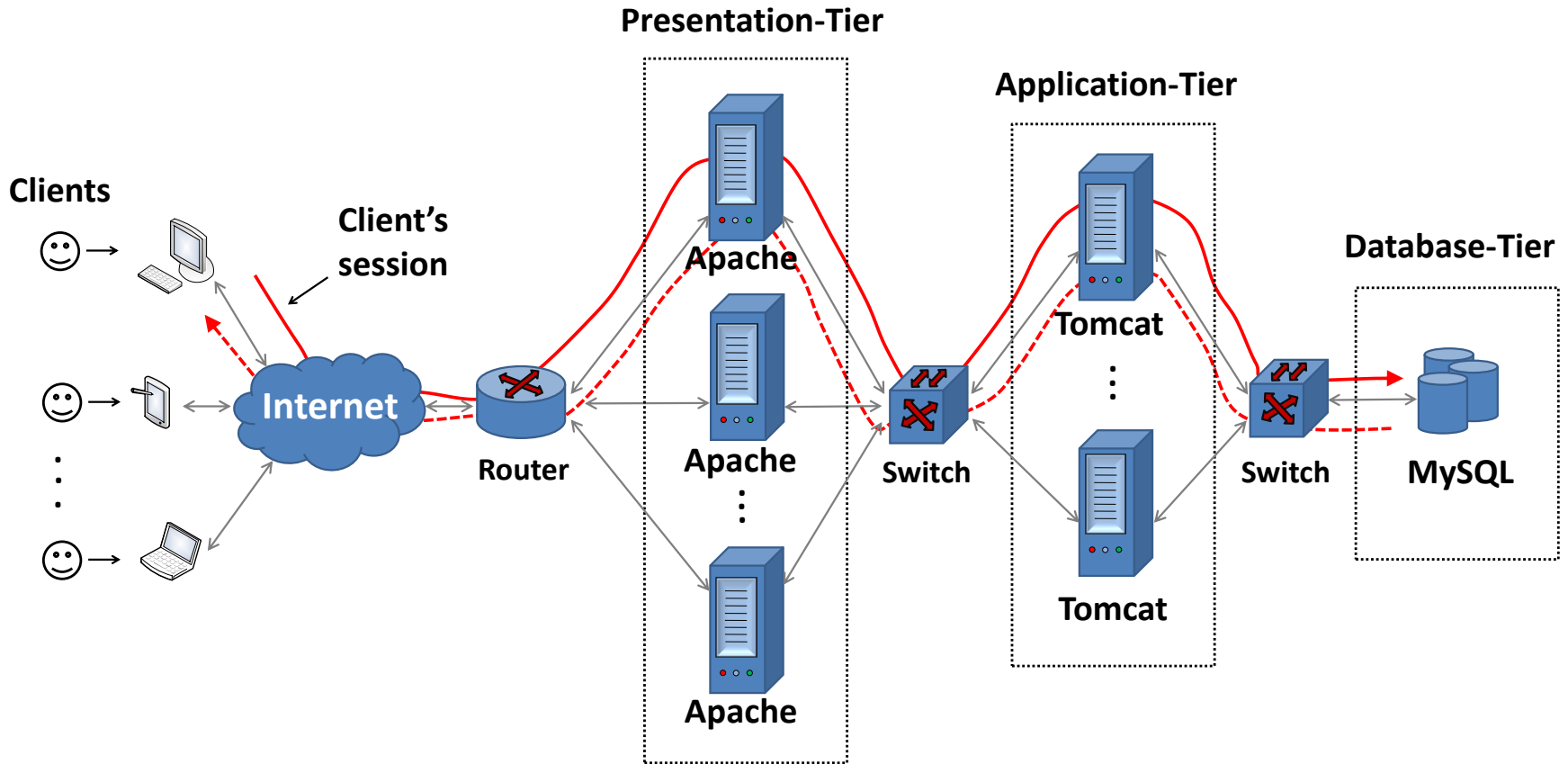
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# Objective

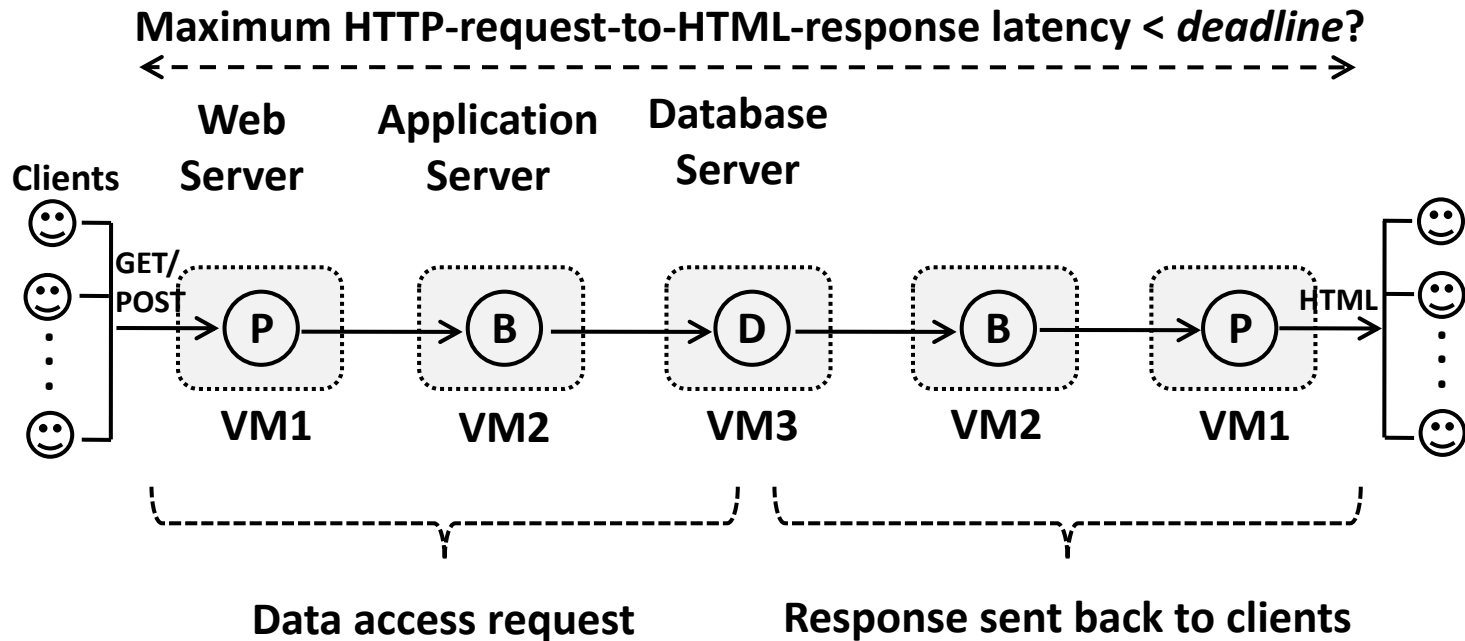
- We address the performance evaluation of multi-tier clouds applications
- We compare a Real-Time Calculus-based framework with two classical analytical approaches such as queuing theoretic approaches and control theoretic approaches
- We focus on the capabilities of these alternatives for estimating the key Quality of Service parameter - the application response-time

# Motivation



Imaginary example of a client session on a basic multi-tier application architecture (note that in virtualized cloud platforms, each software server, i.e., Apache, Tomcat, and MySQL, is run inside of a virtual machine).

# Motivation



**Focus of attention:** Predicting Web-application response-time in cloud computing platform, e.g., does maximum request-to-response latency of a client data access request will not exceed application deadline (with 95% confidence interval)?

# Analytical Frameworks Review

- Queuing models
- Control theory models
- **Modular Performance Analysis with RTC**

# Modular Performance Analysis with RTC

- Deterministic analysis (Thiele et. al)
  - RTC belongs to the class of so-called deterministic queuing theories
  - RTC is deterministic in the sense that hard upper and lower bounds of the performance metrics (such as latency) can be always found
- Stochastic analysis (**Garay, 2013**)
  - Soft real-time guarantees, i.e., guarantees on delays and backlogs that are valid up to a certain level of confidence

# RTC Fundamentals

- Arrival and Service Functions
- Arrival and Service Curves
- Worst-case analysis:
  - Maximum Backlog
  - Maximum delay



# Arrival and Service Functions

- An event stream can be described by an **arrival function**  $R$ , where  $R(t)$  denotes the number of events that have arrived in the interval  $[0, t)$
- A computing or communication resource can be described by a **service function**  $C$ , where  $C(t)$  denotes the number of events that could have been served in the interval  $[0, t)$

# Arrival and Service Curves

The **upper and lower arrival curves**,  $\alpha^u(\Delta)$ ,  $\alpha^l(\Delta) \in \mathbb{R}^{\geq 0}$  of an arrival function  $R(t)$  satisfy the following inequality:

$$\alpha^l(t - s) \leq R(t) - R(s) \leq \alpha^u(t - s), \forall s, t : 0 \leq s \leq t$$

# Arrival and Service Curves

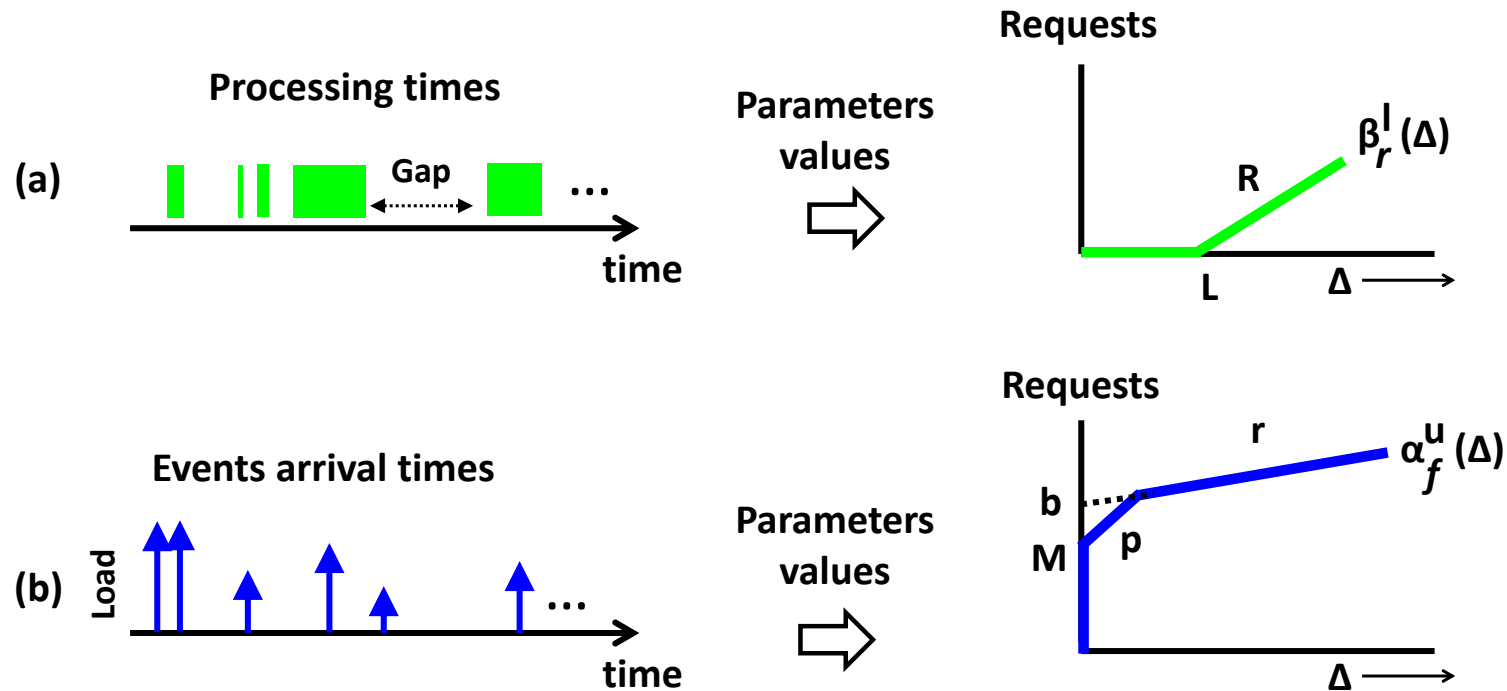
The **upper and lower service curves**,

$$\beta^u(\Delta), \beta^l(\Delta) \in \mathbb{R}^{\geq 0}$$

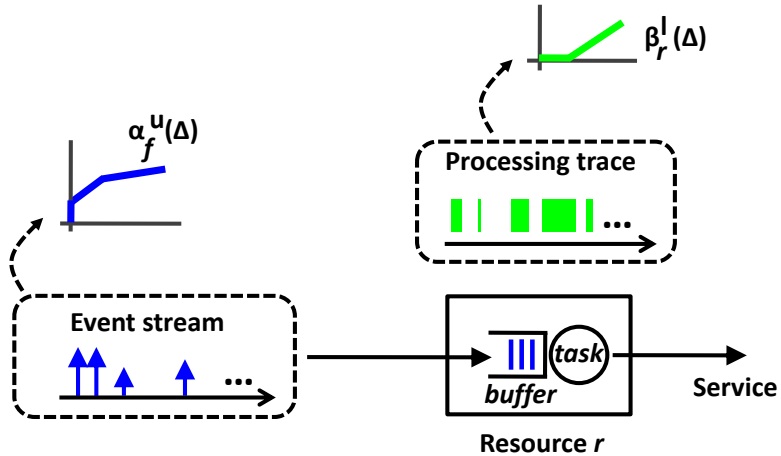
of a service function  $C(t)$  satisfy

$$\beta^l(t - s) \leq C(t) - C(s) \leq \beta^u(t - s) \quad \forall s, t : 0 \leq s \leq t$$

# Modular Performance Analysis with RTC

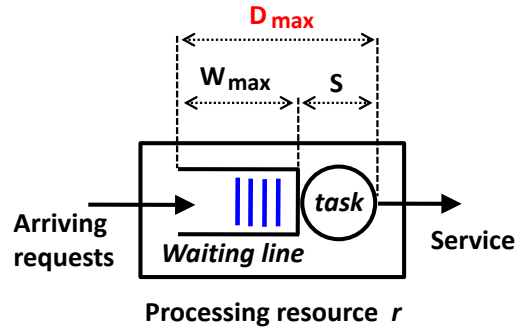
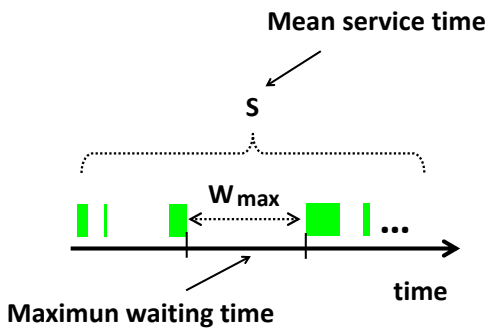


Both,  $\alpha_f^u$  arrival curve and  $\beta_r^l$  service curve are **bounding-functions** and can be defined using a piecewise linear approximation



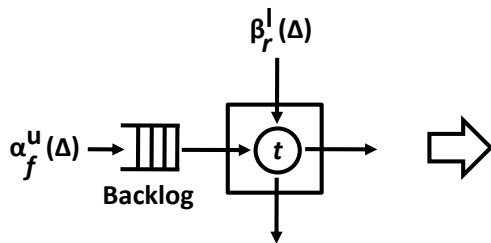
(a)

Deriving the  $\alpha_f^u$  and  $\beta_r^l$  bounding-functions of the processing resource  $r$ .

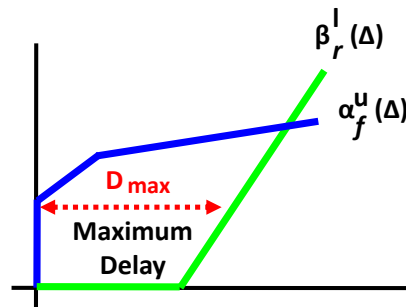


(b)

RTC model parameters and our metric of interest ( $D_{max}$ ).



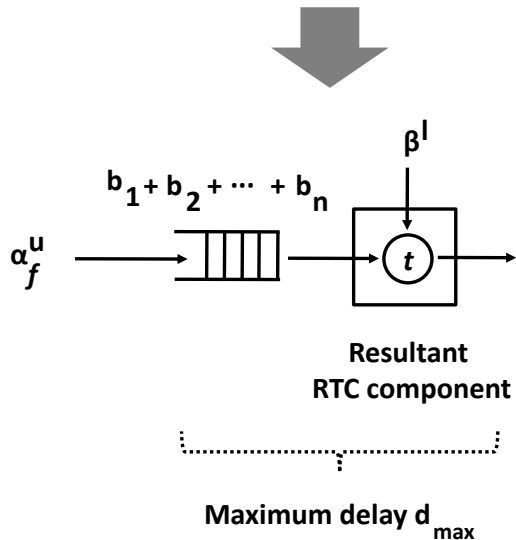
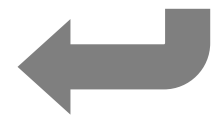
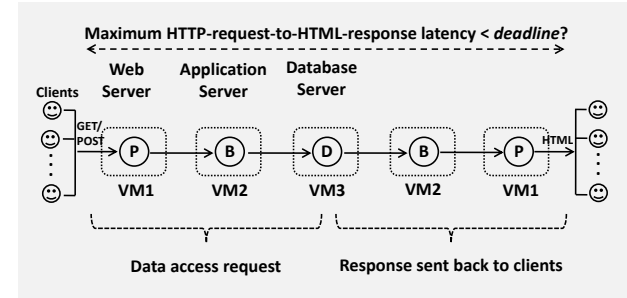
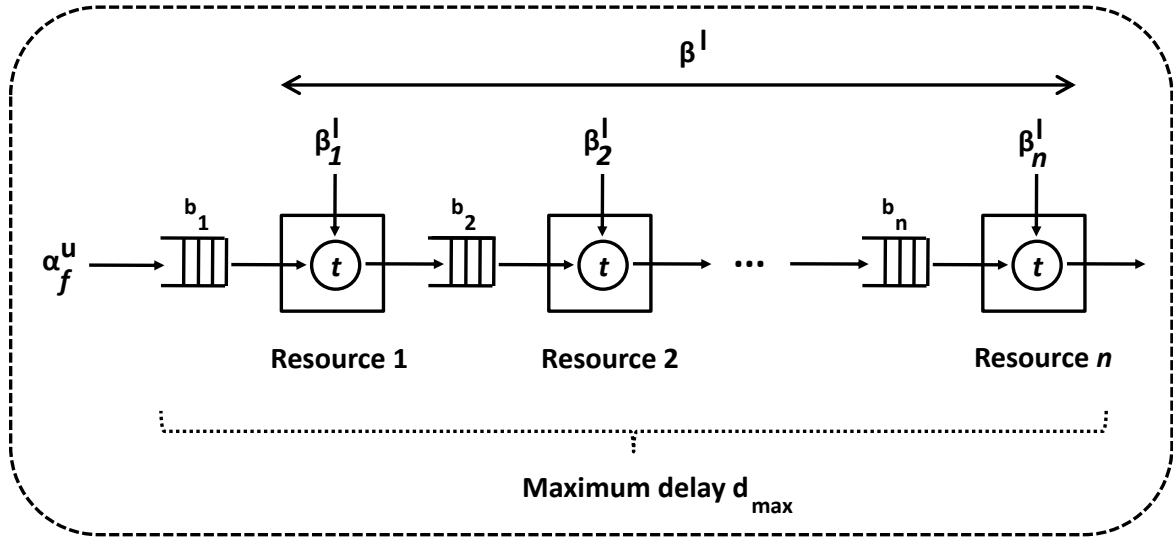
(c)



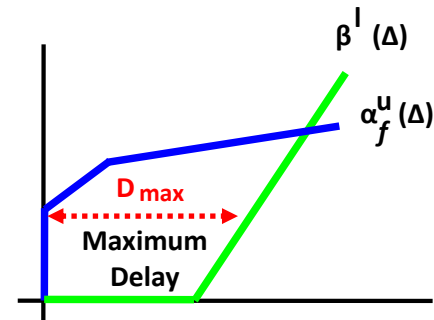
Modeling the resource  $r$  and obtaining its maximum request-response delay time ( $D_{max}$ ) by using RTC.

$$delay \leq \sup_{t \geq 0} \{ \inf \{ \tau \geq 0 : \alpha_f^u(t) \leq \beta_r^l(t + \tau) \} \}$$

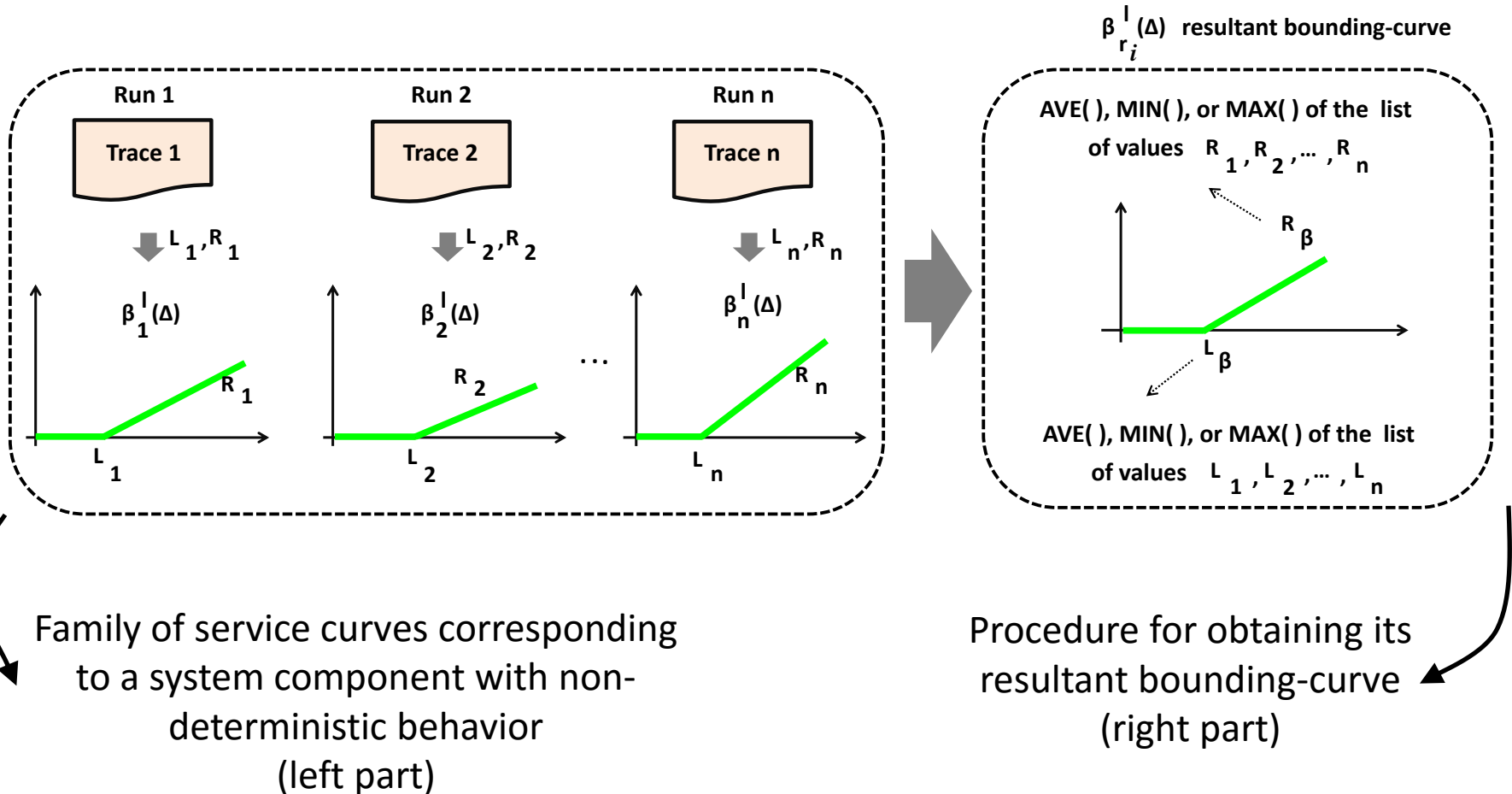
# Modular Performance Analysis with RTC



$$\beta^l = (((\beta_1^l \otimes \beta_2^l) \otimes \beta_3^l) \otimes \dots) \otimes \beta_n^l$$



# RTC model calibration



G. R. Garay, J. Ortega, A. F. Díaz, L. Corrales, and V. Alarcón-Aquino, "System performance evaluation by combining RTC and VHDL simulation: A case study on NICs," *Journal of Systems Architecture*, vol. 59, pp. 1277-1298, 2013.

# RTC model calibration

Deriving the parameters for constructing the  $\beta_{r_i}^l$  lower service curve of a concrete system component with non-deterministic behavior (e.g., a web, application or database server) from simulations or real traces may give the case where the following assumption holds

$$\exists i, \Delta : \beta_{r_i}^l(\Delta) < \beta_{\{r_i, reality\}}^l(\Delta)$$

where  $i \in (1, 2, 3, \dots)$ ,  $\beta_{r_i}^l$  is a resultant lower service curve derived from a set of lower service curves and  $\beta_{\{r_i, reality\}}^l(\Delta)$  is an unknown lower bounding-curve of the SUT for the stochastic component being considered.

For this reason, in (Garay, 2013), statistical methods are used in order to demonstrate that the values of the  $L$  and  $R$  parameters of  $\beta_{r_i}^l$  have an adequate level of predictability, and, hence, results are valid up to certain level of confidence.



# Comparison of analytical approaches

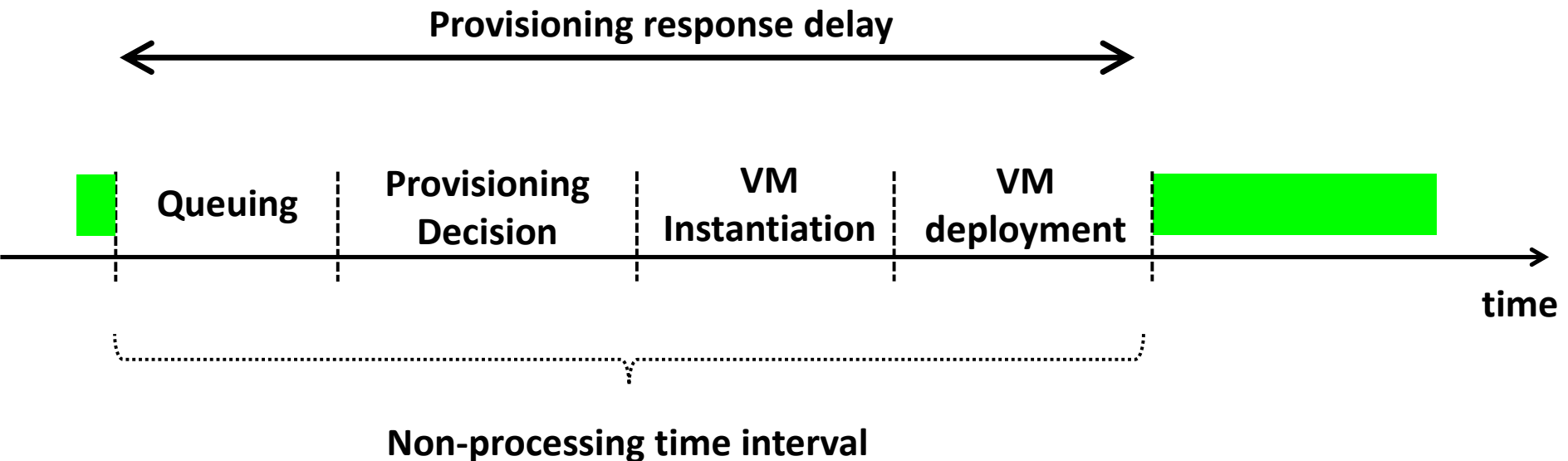
Modeling capabilities	MPA-RTC	Queuing Theory	Control Theory
Multi-tier cloud Web application	Yes	Yes	Yes
Hard/Soft response time guarantees	Both	No	Soft guarantees
Workload models	Real and/or synthetic	Synthetic	Real or synthetic
Task processing models	Real and/or synthetic	Synthetic	Real or synthetic
VM provisioning	Yes	Yes	Yes
VMs performance interference effect	Yes	Yes	Yes
Autonomic resource management	Yes	Yes	Yes
Server consolidation	Yes	Yes	Yes
Horizontal/Vertical scaling	Both	Both	Both

In our paper, references to analytical studies based on queuing theory (QT) and control theory (CT) are given and a discussion on the modeling capabilities of each approach is presented

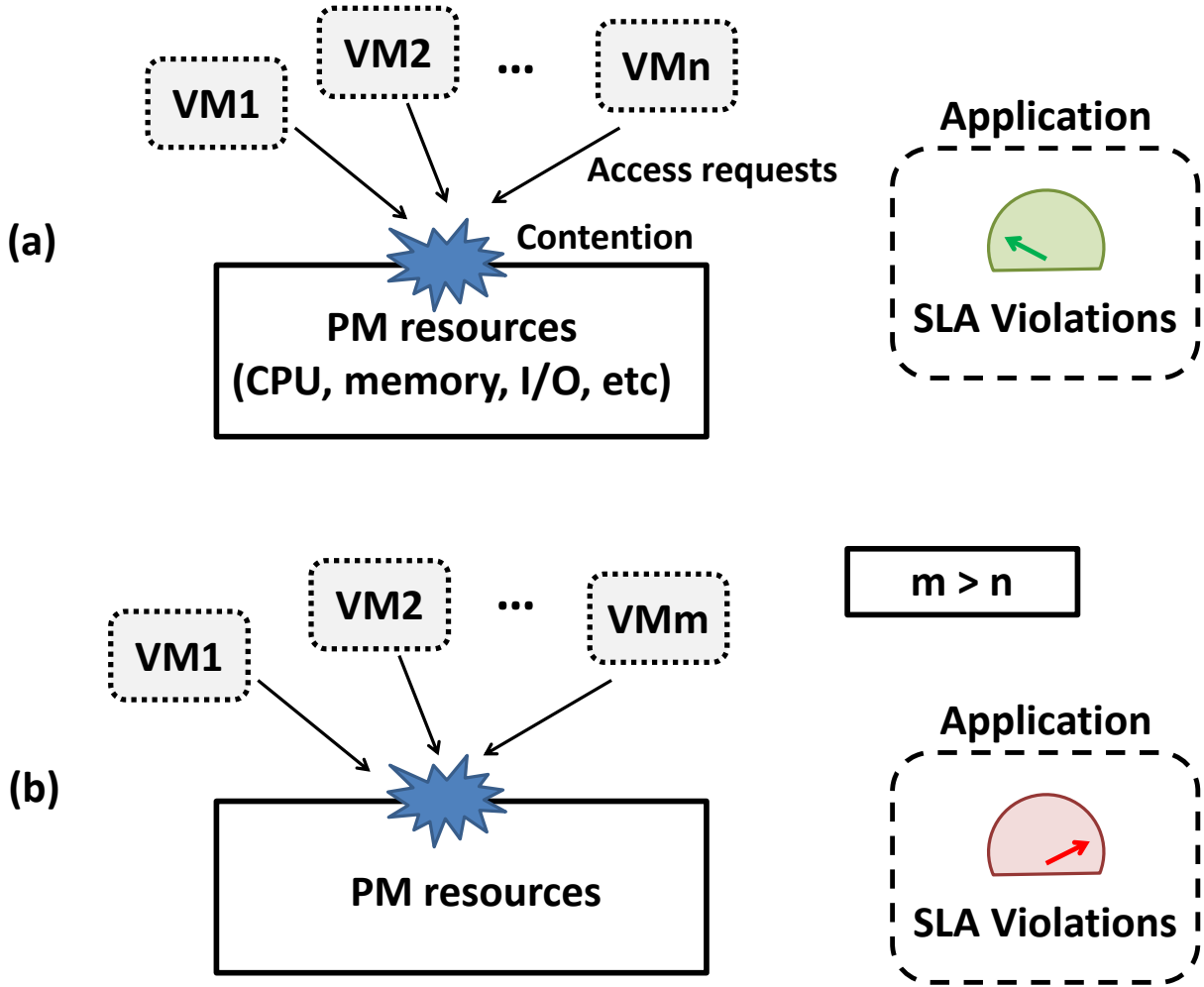
# Workload models

- Real workload traces
- Naive synthetic workload models (e.g., probability distributions)
- Realistic synthetic workload models
- Combinations of the previous alternatives

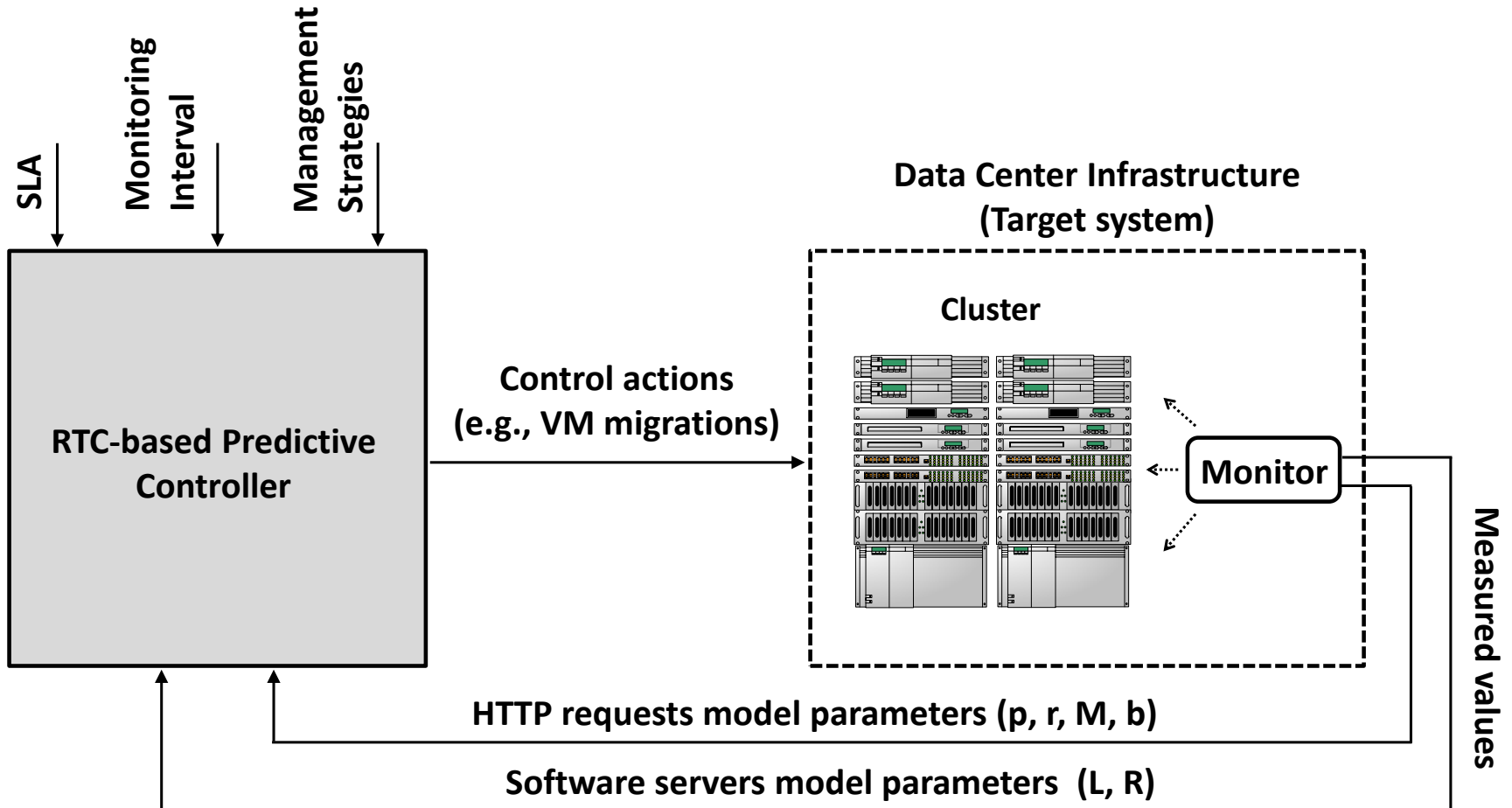
# Modeling provisioning response delay



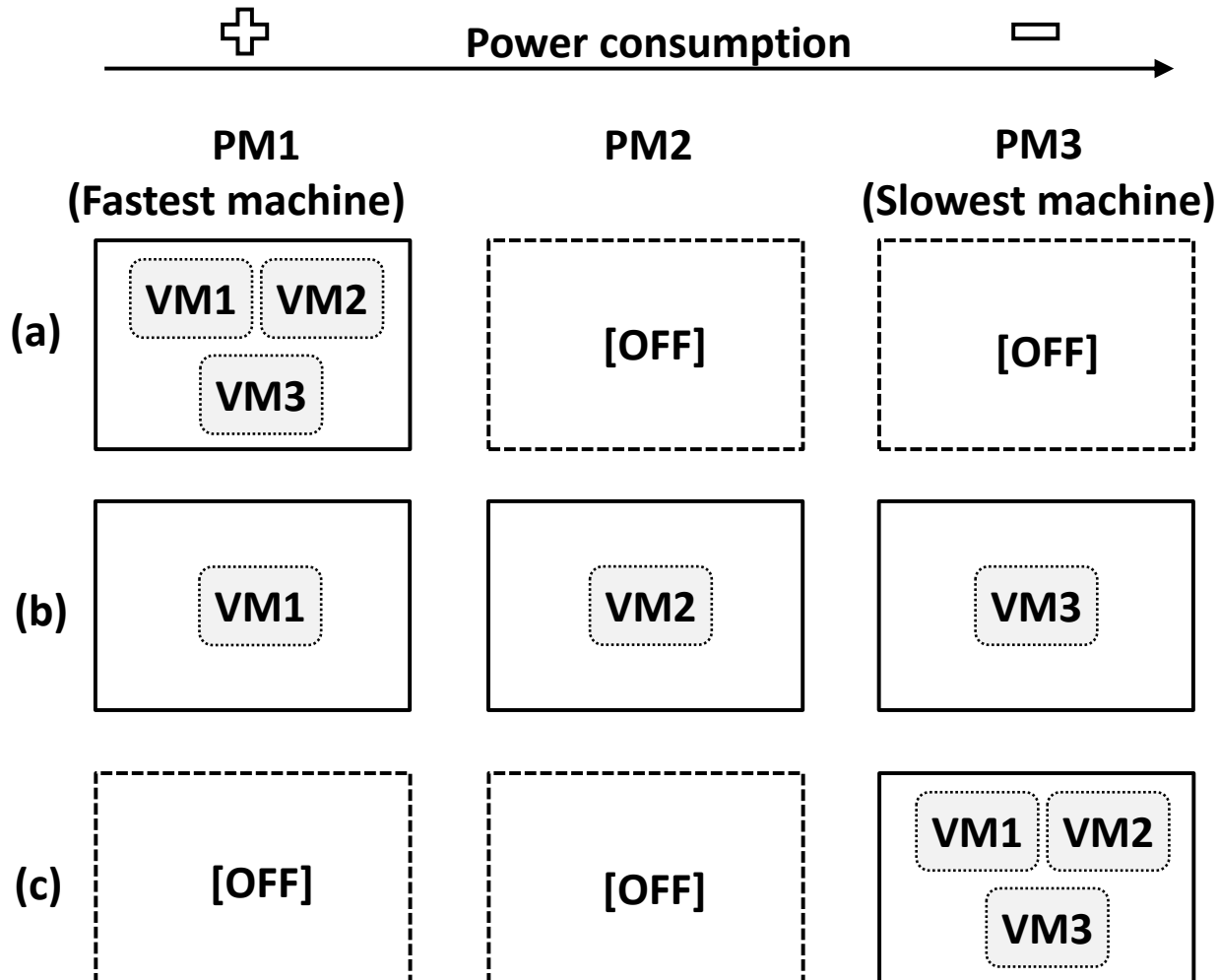
# VMs performance interference effect



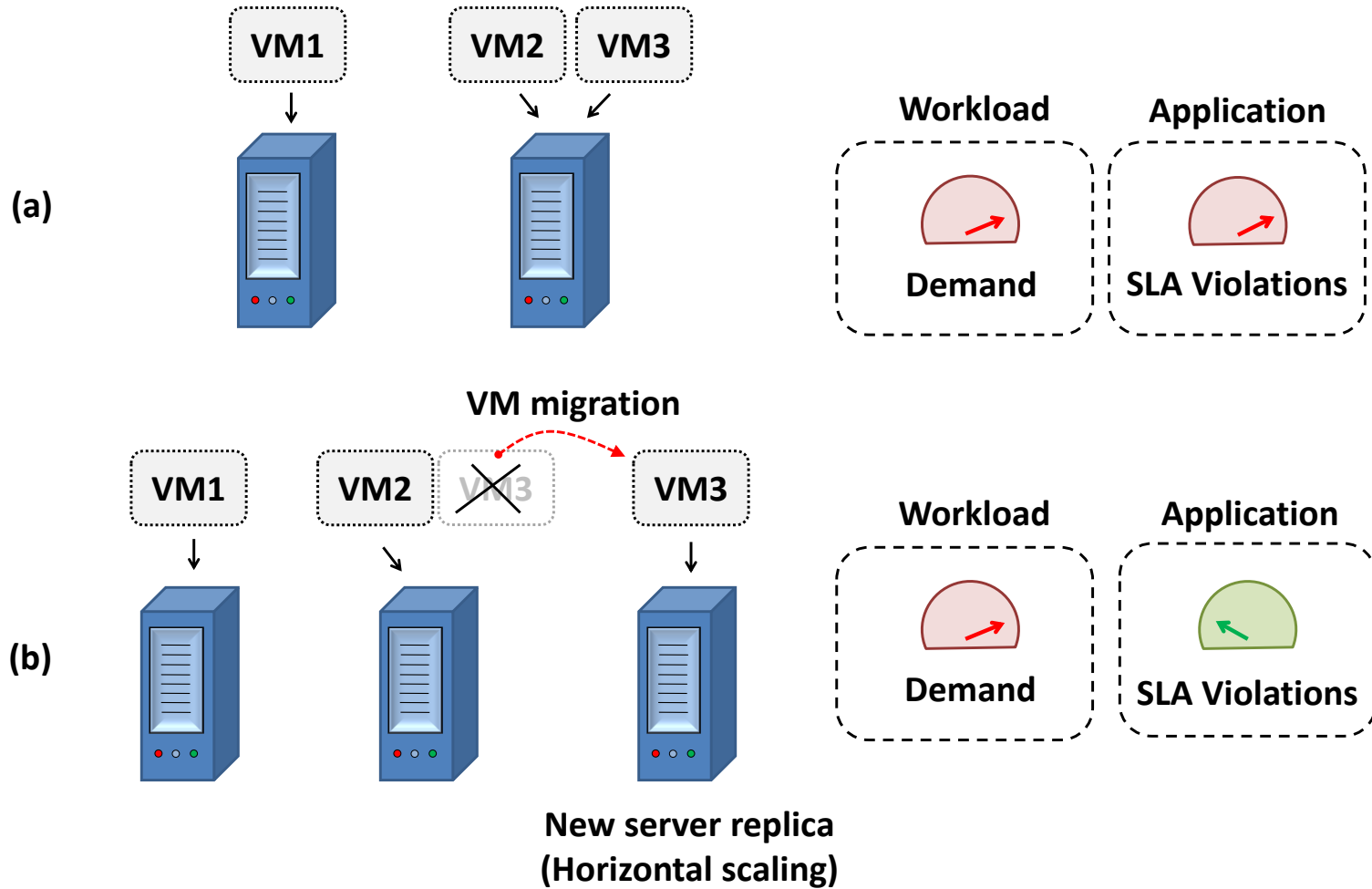
# RTC-based autonomic resource management



# VMs deployment scenarios



# Horizontal scaling



# Conclusion

- We discuss different approaches for modeling cloud-based systems
- We conclude that RTC is suitable framework for estimating statistical response time guarantees
- We consider that contemporary issues in cloud computing research could be analyzed by using MPA-RTC



# Conclusion

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- We conclude that RTC is suitable framework for estimating statistical response time guarantees
- We consider that contemporary issues in cloud computing research could be analyzed by using MPA-RTC